PERFORMANCE OF NOVEL NEUTRAL ADMITTANCE CRITERION IN MV-FEEDER EARTH-FAULT PROTECTION

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ABSTRACT
This paper describes the fundamentals of the neutral admittance based earth-fault protection. First, the theory is briefly introduced. Secondly, certain improvements to the traditional measuring principle and operation characteristics are suggested. Finally, the performance is evaluated and compared with traditional earth-fault protection schemes using simulated and recorded data. The results show that the neutral admittance criterion has potential to become a standard and widely used earth-fault protection function in high impedance earthed networks.

INTRODUCTION
Earth-fault (EF) protection is traditionally based on directional residual overcurrent criterion with zero-sequence voltage as the polarizing quantity. An example of such is the \( I_{0,\text{cos}} \) criterion that is commonly used in compensated medium voltage distribution systems. However, e.g. in Poland, the neutral admittance (\( Y_0 \)) criterion has become popular and is today a standard EF protection function required by the local utilities [1].

THEORY
The following analysis assumes that all the measured quantities are fundamental frequency phasors. The equations are valid for the phase L1-to-earth fault, but similar equations can be derived for phase L2- or L3-to-earth faults.

The theory of the \( Y_0 \) criterion can be explained with the aid of a simplified equivalent circuit of a 3-phase distribution network illustrated in Fig. 1. The network consists of two feeders, one representing the protected feeder (Fd) and the other the background network (Bg). The background network represents the rest of the feeders in the substation. The line impedances are neglected as their values are very small compared with the shunt admittances. Also the loads and phase-to-phase capacitances are disregarded as they do not contribute to the zero-sequence current.

Notations used in Fig. 1:
- \( U_{0} \) = \( (U_{L1}+U_{L2}+U_{L3})/3 \) = Zero-sequence voltage of the network
- \( I_{0,\text{res}} \) = \( (I_{L1}+I_{L2}+I_{L3})/3 \) = Residual current of the protected feeder
- \( I_{0,\text{Bg}} \) = \( (I_{L1}+I_{L2}+I_{L3})/3 \) = Residual current of the background network
- \( I_{CC} \) = Current through the earthing arrangement
- \( Y_{CC} \) = Admittance of the earthing arrangement
- \( E_{u} \) = Source voltage, phase L1 (e.g. 20\(^{\circ}\)/3 kV,20\(^{\circ}\))
- \( U_{Lx} \) = Phase voltage of phase L1, L2 or L3 at the substation
- \( I_{Lx} \) = Phase current of phase L1, L2 or L3 at the substation
- \( I_{L1\text{Bg}} \) = Phase current of phase L1, L2 or L3 in the background network
- \( I_{L1\text{Fault}} \) = Fault admittance when the fault is in the protected feeder
- \( I_{L1\text{BG}} \) = Fault admittance when the fault is in the background network
- \( Y_{CC} \) = Admittance of phase L1, L2 or L3
- \( Y_{L1\text{BG}} \) = Admittance of phase L1, L2 or L3

The equivalent circuit of Fig. 1 is equally valid during healthy and faulty states. During the healthy state the fault resistances equal infinity i.e. the fault admittances \( Y_{Ff} \) and \( Y_{Fbg} \) are zero. In case of an earth fault inside the protected feeder, then \( Y_{Ffd} > 0 \) and \( Y_{Fbg} = 0 \). Further, if an earth fault occurs outside the protected feeder i.e. somewhere in the background network, \( Y_{Fbg} > 0 \) and \( Y_{Ffd} = 0 \).

In compensated networks, the admittance of the earthing arrangement equals \( Y_{CC} = G_{CC} - j B_{CC} = 1/R_{CC} - j K B_{tot} \), where \( K \) is the degree of compensation, \( B_{tot} \) is the total susceptance of the network and \( R_{CC} \) is the resistance of the parallel resistor of the compensation coil. It should be noted that the value of \( Y_{CC} \) is affected by the connection status of the parallel resistor according to the applied Active Current Forcing (ACF) scheme. Typical ACF schemes are:

I. The resistor is continuously connected during the healthy state, and then momentarily disconnected and again re-connected during the fault. The purpose of disconnecting is to improve the conditions for self-extinguishment of the fault arc.

II. The resistor is disconnected during the healthy state, and then connected during the fault until the protection operates.

III. The resistor is permanently connected. The primary purpose is to limit the healthy state \( U_{0} \).

In all ACF schemes the feeder EF protection is typically set to operate based on the resistive current increased by the parallel resistor during the fault.

The applied ACF scheme also affects the behavior of the \( Y_0 \) protection algorithms as shown in the following. In addition it is important to note that in the schemes I and III the admittance \( Y_{CC} \) is the same prior to the fault and when the feeder EF protection operates. In the scheme II, the admittance \( Y_{CC} \) is different prior to the fault and when the feeder EF protection operates.
From Fig. 1, general equations for the zero-sequence voltage $U_0$ and the residual current of the protected feeder $3I_0$ can be derived:

$$U_0 = -E_0 \cdot \left( \frac{Y_{s,0} + \nu_{0,0} + Y_{f,0} + Y_{b,0}}{Y_{c,0} + Y_{f,0} + Y_{b,0} + Y_{b,0}} \right)$$  

(1)

$$3I_{0,Fd} = U_0 \cdot \left( Y_{f,0} + Y_{f,0} + Y_{b,0} + Y_{f,0} + Y_{b,0} \right)$$  

(2)

where $Y_{s,0} = Y_{s,0} + aI_{s,0} + \alpha Y_{s,0}$, $Y_{f,0} = Y_{s,0} + \alpha Y_{s,0}$, $Y_{b,0} = Y_{s,0} + \alpha I_{s,0} + \alpha Y_{s,0}$, and $a = \cos(20°) + j \cdot \sin(20°)$.

Admittances $Y_{s,0}$ and $Y_{b,0}$ represent the asymmetrical part of the corresponding total phase admittance, $Y_{f,0}$ and $Y_{b,0}$. In an ideally symmetrical network, $Y_{s,0}$ and $Y_{b,0}$ equal zero. In practice, there is always some difference between the phases, and according to Eq. 1-2 this asymmetry creates a healthy-state zero-sequence voltage and residual current.

Neutral admittance protection is based on evaluating the quotient between the residual current and zero-sequence voltage. According to the simplest approach the neutral admittance obtained in this way is not affected by the network asymmetry or the fault resistance.

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COMMON EF PROTECTION FUNCTIONS

As a common start criterion for EF protection functions a $U_0$ overvoltage criterion is typically used. Fig. 2 illustrates $U_0$ as a function of fault resistance $R_f$ in an example network. The shaded areas represent the variation due to the network asymmetry and the faulted phase with different compensation degrees. In resonance condition ($K = 1$) the healthy state $U_0$ is 5% or 16% depending on whether or not the parallel resistor of 5 A is connected. From Fig. 2 it can be concluded that if the parallel resistor is not connected during the healthy state, the considerably high healthy-state compensation degrees. The shaded area represents the non-operation area i.e. the operation sector is typically ±80° or ±88° wide.

Neutral admittance criterion

In the $Y_0$ criterion, the neutral admittance is calculated using e.g. Eq. 6. The result is compared to boundary lines in the admittance plane. Examples of typical characteristics available in modern feeder terminals are illustrated in Fig. 3. The shaded area represents the non-operation area i.e. the operation of the protection is achieved, when the calculated admittance moves outside the shaded area.

The key result from analysis of Eq. 6 was that, when the $Y_0$ calculation is done utilizing changes in the zero-sequence quantities due to the fault, then in case of an outside fault, the calculated admittance always equals $-Y_{f_d}$. The result is single-valued and not affected by the value of $R_f$, the network asymmetry or the faulted phase. This allows high sensitivity of the protection, especially if the novel characteristic would be applied.

EARTH-FAULT SIMULATIONS

The meaning of Eq. 3a and Eq. 6 is illustrated in Fig. 5 using simulated data. The simulated network represents a simplified distribution network as illustrated in Fig. 1. A single-phase earth-fault is applied into each phase, and the fault resistance is varied from 0 to 20 kΩ in 1 kΩ steps. Two compensation degrees, $K = 0.8$ and 1.1 are analyzed. The rated current of the parallel resistor ($I_{CC}$) is assumed to be 5 A. All ACF schemes are included in the simulation. The degree of network asymmetry matches the values used in the calculations represented in Fig. 2.

Fig. 3 Examples of $Y_0$ characteristics.

The idea is to set the non-operation area around $-Y_{f_d}$ with a sufficient security margin. The characteristic then becomes off-set and asymmetrical in the admittance plane. Such characteristic improves the sensitivity of the protection and is valid also when the compensation coil is temporarily disconnected.

Fig. 4 Examples of the novel $Y_0$ characteristic.

The value of $Y_{f_d}$ is the primary setting base for the novel characteristic. The imaginary part of $Y_{f_d}$ can be easily calculated from the capacitive EF current of the protected feeder itself:

$$\text{Im}(Y_{f_d}) = j3I_{gd}U_{phase}$$

The value of $I_{gd}$ can be obtained directly from the utility DMS, and can easily be updated, in case the feeder configuration changes substantially. The real part of $Y_{f_d}$ can be either determined by measurements or estimated to be typically 20…30 times smaller than the imaginary part.

Fig. 5 Simulated behavior of the neutral admittance calculation algorithms.

From Fig. 5 the effect of fault resistance, network asymmetry and the faulted phase on the different $Y_0$ calculation methods can clearly be seen:

- The best result is achieved, when the $Y_0$ calculation is based on Eq. 6 and when the admittance $Y_{CC}$ is the same prior to and during the fault. $Y_{CC,t1} = Y_{CC,t2}$. The result is then single-valued and not affected by the value of $R_f$, the network asymmetry or the faulted phase. This allows high sensitivity of the protection, especially if the novel characteristic would be applied.
If the $Y_0$ calculation is based on Eq. 3a or on Eq. 6 when the admittance $Y_{NC}$ is different prior to and during the fault, $Y_{CC,0} \neq Y_{CC,2}$, then the result is not single-valued. Depending on the faulted phase, each phase-to-earth fault creates an individual admittance trajectory, the course of which depends on $R_F$ and network asymmetry. This reduces the dependability of the $Y_0$ criterion, especially if high sensitivity is required.

FIELD TESTING AND EXPERIENCE

In recent years, ABB Oy, Distribution Automation, Finland has undertaken intensive field testing in cooperation with some Finnish power utilities in order to test and develop new EF protection algorithms. Below, one field test series is studied. These tests were made in a 20 kV rural distribution network with overhead lines in Finland. The compensation degree during the tests was $K = 1.1$ and the ACF scheme II was applied. The faulted phase was L3 and $R_F$ was varied from 0 to 10 kΩ. The capacitive EF currents of the network match the values used in the simulation model, see Fig. 5.

The performance of traditional $I_{C0} \cos(\phi)$ criterion is evaluated in Fig. 6. A two-stage protection is applied using the low-set stage $I_{C0} \cos(\phi)$ for alarming, and the high-set stage $I_{C0} \cos(\phi)>>$ for tripping. In this case, the stages are set to 2.5 % and 20 %. This corresponds to 0.5 A and 4.0 A primary currents. Red color represents the results when the parallel resistor is connected and blue color when the parallel resistor is disconnected during the fault.

Also the applied start criterion must have adequate sensitivity without the risk of false starts, e.g. when the switching state changes in the network. Further, the traditional over-conductance ($G_{O2}$) method lacks sensitivity compared with the novel approach, which can operate even without the parallel resistor due to the natural losses of the coil and the network. However, it is recommended to keep the resistor constantly connected, as then the discrimination between inside and outside faults is improved.

In case two-stage protection is required, it can be achieved by two independent $Y_0$ protection instances ($Y_{01}$, $Y_{02}$) with differently set start criteria. For example in case of network studied in Fig. 2, the $Y_{01}$-stage for alarming could have $U_{IR}$-start set to 10% corresponding to $R_F = 6$ kΩ ($K=0.8$) and the $Y_{02}$-stage for tripping could have $U_{IR}$-start set to 30% corresponding to $R_F = 2$ kΩ ($K=0.8$).

For both evaluated EF protection functions the measuring principle of the residual current has a noticeable impact, and cable core CTs should be used if high sensitivity is required.

CONCLUSIONS

The performance of the neutral admittance based EF protection has been studied. The results show that $Y_0$ protection is a respectable alternative to traditional EF protection functions. Benefits include e.g. good immunity to fault resistance and easy setting principles. Based on the theory and field tests, the admittance calculation should be based on changes in the zero-sequence quantities due to a fault, the novel $Y_0$ characteristic should be used and the parallel resistor should be permanently connected. This maximizes the performance of the $Y_0$ protection. The neutral admittance protection function together with the presented algorithm enhancements will be implemented in the next generation feeder terminals applied in distribution and sub-transmission networks.

REFERENCES